

NAME

L2REGW – Do weighted simple linear least-squares regression.

SYNOPSIS

CALL L2REGW(X,Y,W,M, BETA,RC)

X(M) is a REAL*8 vector of independent-variable values
Y(M) is a REAL*8 vector of corresponding dependent-variable observations
W(M) is a REAL*8 vector of weights
M is the INTEGER*4 number of observations in X and Y
BETA(2) is the REAL*8 vector of coefficients (intercept,slope) returned
RC is the INTEGER*4 return code; see below

DESCRIPTION

The routine uses formulas [1] to calculate the regression coefficients BETA in $y = \text{BETA}(1) + \text{BETA}(2) * x$.

SEE ALSO

L1REGW, which does simple linear least-absolute-values regression
EXPREG, which does exponential regression

DIAGNOSTICS

These are the values that RC can have on return.

- 1 a parameter is in error ($M < 2$, no nonzero weights)
- 0 all went well
- 1 the regression line is vertical

LINKAGE

gfortran source.f -L\${HOME}/lib -lmisc

AUTHOR

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REFERENCES

[1] Walpole, Ronald E., Myers, Raymond H.,
Probability and Statistics for Engineers and Scientists, Macmillan, 1972 (page 284).

EXAMPLE

```

      REAL*8  X(5)/0.D0,1.D0,2.D0,3.D0,4.D0/,W(5)/5*1.D0/
      REAL*8  Y(5)/1.D0,3.D0,5.D0,7.D0,17.D0/,BETA(2)
      INTEGER*4  RC
      CALL L2REGW(X,Y,W,5, BETA,RC)
      WRITE(6,901) RC,BETA
901  FORMAT('RC=',I3/'Y=[',1PE13.6,']+[',1PE13.6,']x')
      STOP
      END

```

This example produced the following output:

```

unix[1]
RC=   0
y=[-6.000000E-01]+[ 3.600000E+00]x
unix[2]

```